

# Magnétosphères lointaines mais observables

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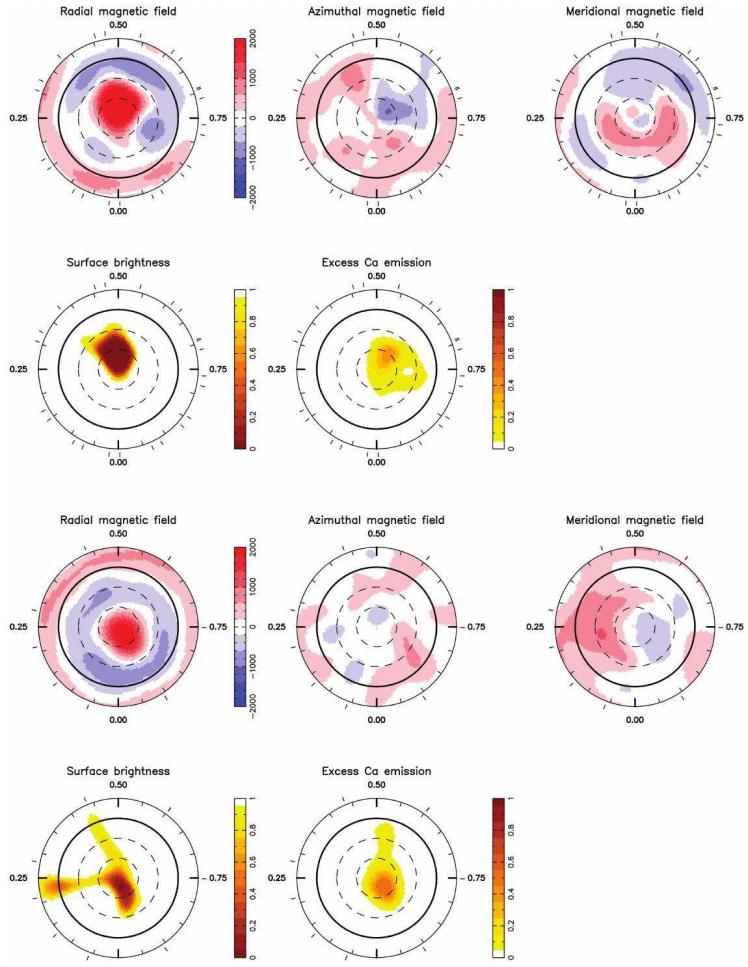
# Magnétosphères



Uranie cache maladroitement son dernier prototype d'étoile à neutrons à sa copine Calliope. [S. Vouet 1634]

- Planètes magnétisées en rotation (Jupiter, Saturne, Terre...)
- Planètes magnétisées dans un vent derrière une onde de choc (Mercure, Terre...)
- Planètes dans un vent, non protégées par une onde de choc (Io, Ganymède)
- Etoiles ? (magnétisées, en rotation)

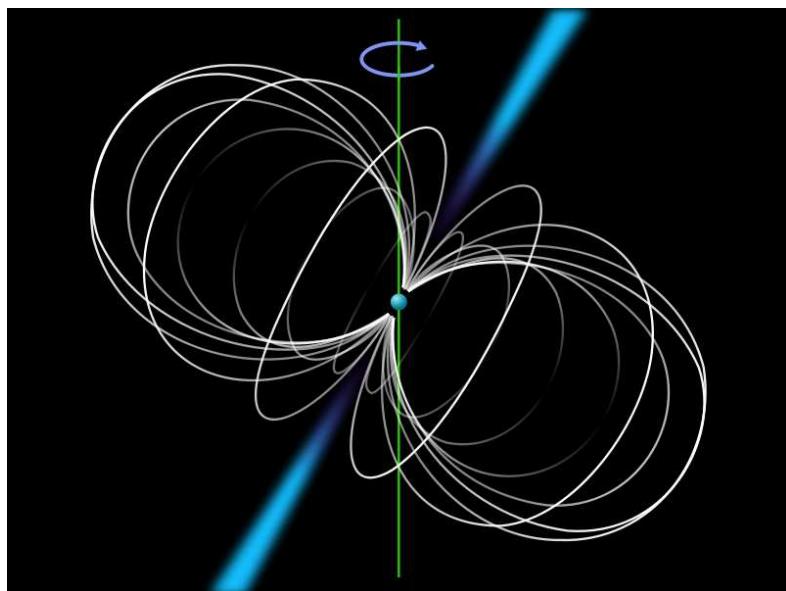
# Etoiles



Etoile V2190 Oph, à 4 ans d'écart.  
[Donati + 2011]

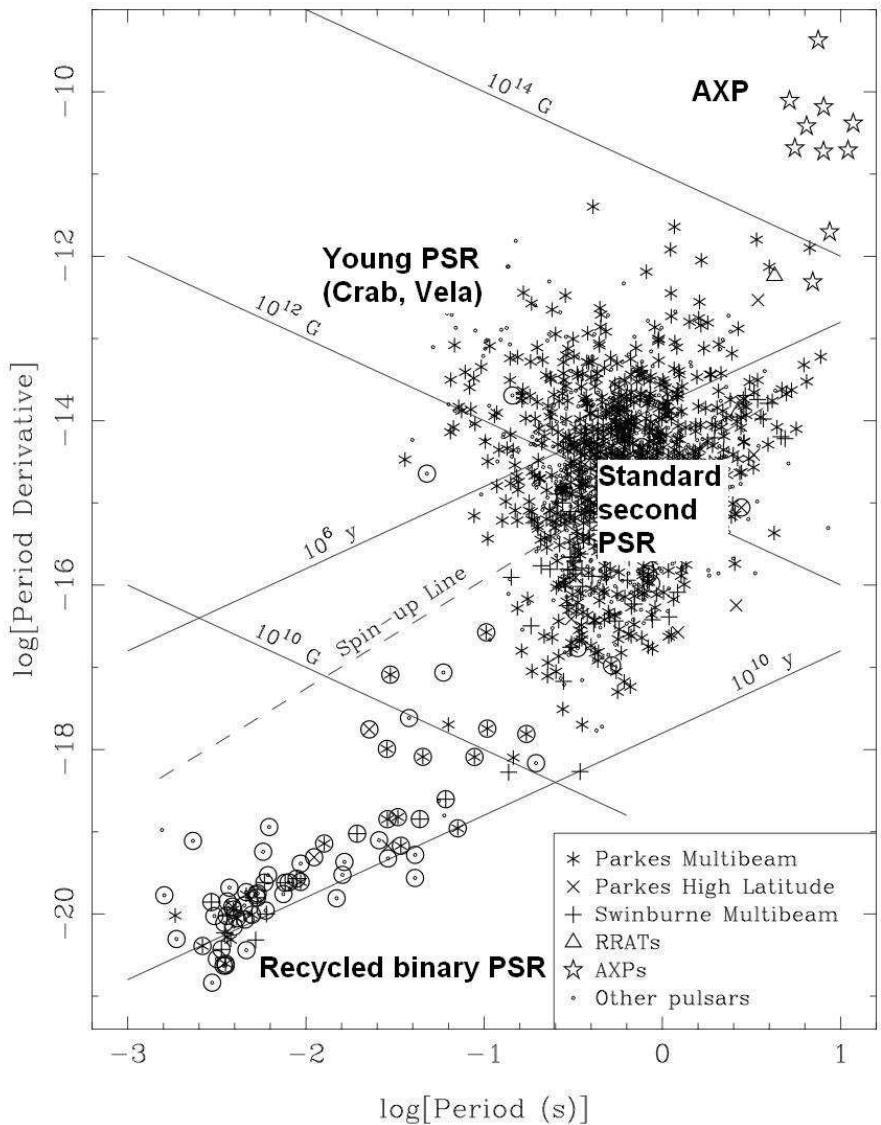
- Etoiles ? (magnétisées, en rotation)
- Soleil : dynamique conduite par le déplacement en surface de l'étoile des tubes de flux.
- Echelles rapides : émergence tubes de flux / convection du plasma interne.
- Echelles lentes : cycle (11 ans pour le Soleil) de la dynamo.
- Soleil : couronne  $\neq$  magnétosphère.
- Idem étoiles vues par ESPADON.
- Magnétosphères : étoiles où  $\vec{B}$  est figé. Pas de convection, pas de dynamo.
- Magnétosphère de naines blanches, et d'étoiles à neutrons.

# Etoiles à neutrons : The theoretical problem is simple



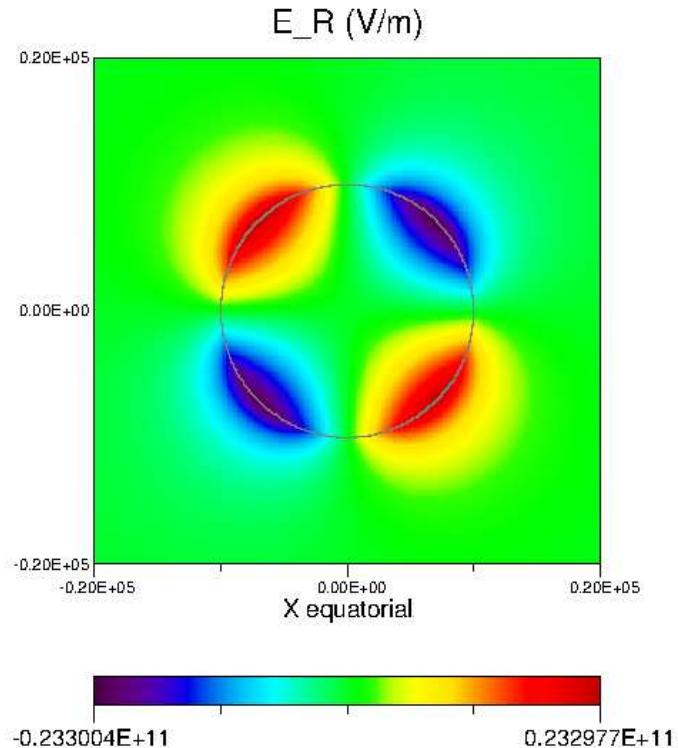
- A conducting sphere,  $R \sim 10$  km.
- in fast rotation,  $P = 1$  ms–10 s.
- A high (dipole) stellar magnetic field  $B_* = 10^5$  to  $10^8$  T, and even  $10^{11}$  T for magnetars
- Magnetic axis inclination  $i$  over the rotation axis.
- The star is an infinite supply of charged particles. The potential to extract them is negligible (like with a diode anode).
- Even simpler : When  $i = 0$ : *aligned pulsar*, axisymmetric problem.

# We know the input of energy into the pulsar!



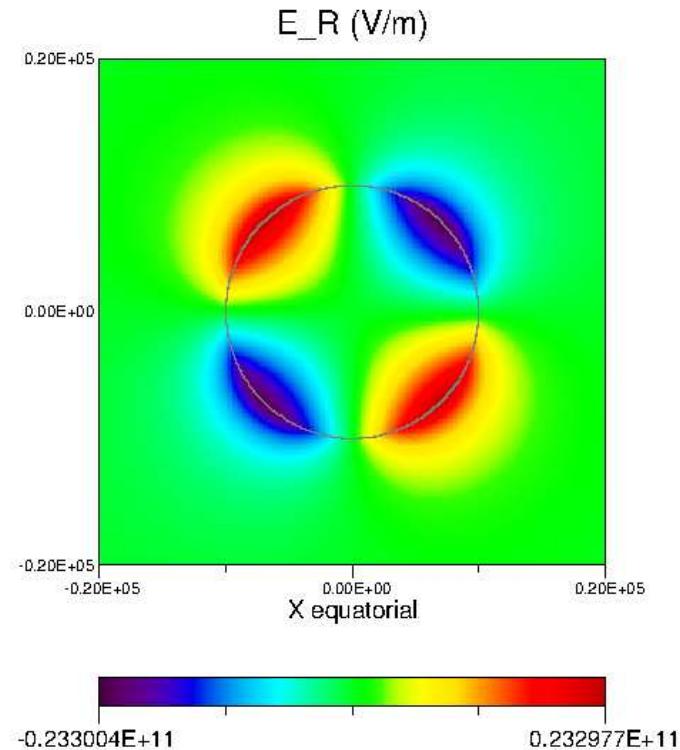
- Huge statistics on rotational properties.
- Radio astronomy: periods  $P$  and time derivatives  $\dot{P}$ ,  $\ddot{P}$ ...
- Theory of neutron stars:  
Radii  $R_* \sim 10$  km  
Mass  $M_* \sim 1.5 M_\odot$   
Moment of inertia  $I \sim 10^{38}$  kg.m<sup>2</sup>.
- Loss rate of rotational energy :  
$$\dot{E}_{rot} = -M_I \Omega_* \dot{\Omega}_* = 4\pi^2 M_I \dot{P}/P^3$$

# Feeding the pulsar magnetosphere with *primary* electrons



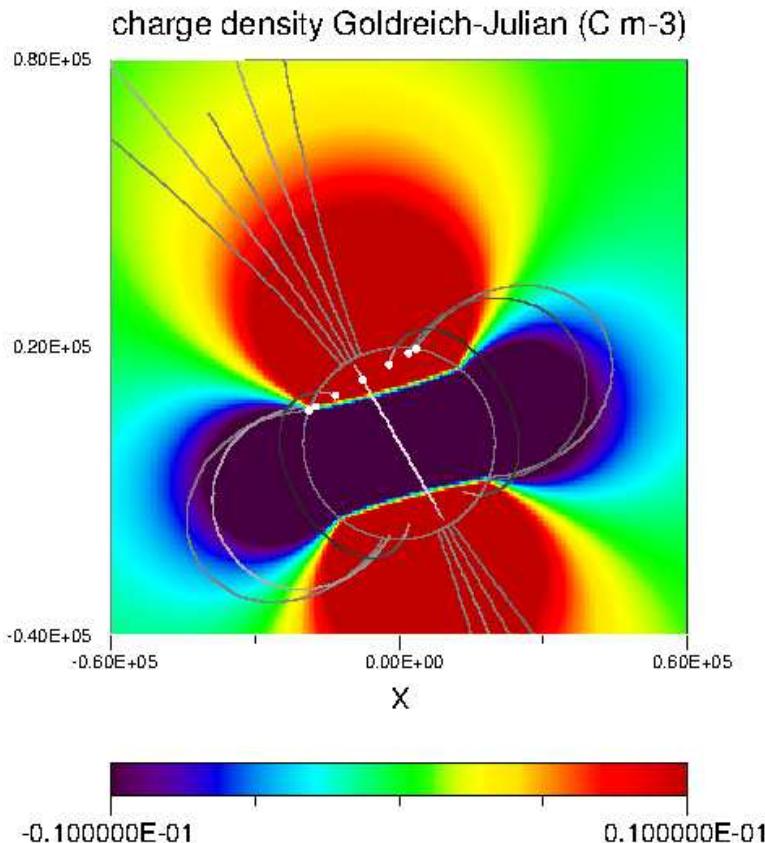
- ➊ On the neutron star surface,  $E_r = E_{vertical} \neq 0$ .
- ➋ Electric force  $\sim 10^6 \times$  gravitational force and  $\gg$  surface cohesion forces.
- ➌ Therefore the star is surrounded by a plasma forming a magnetosphere.

# Rayonnement synchrotron



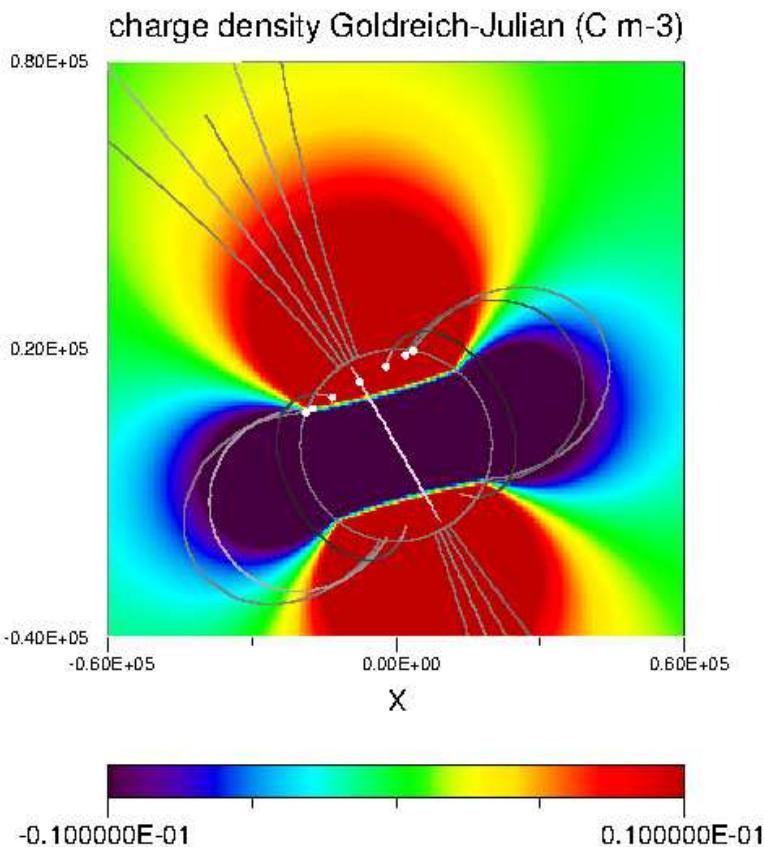
- Les électrons, violemment accélérés, sont relativistes,  $\Gamma_{Lorentz} \sim 10^5$ .
- Rayonnement synchrotron : puissance  $\sim \Gamma_{Lorentz}^2 B^2 / m^2$ .
- Un electron perd toute la vitesse cyclotron  $v_\perp$  en  $10^{-17}$  seconde.
- Pas d'effet miroir, pas de dérive de courbure ou de gradient.

# Plasma in corotation



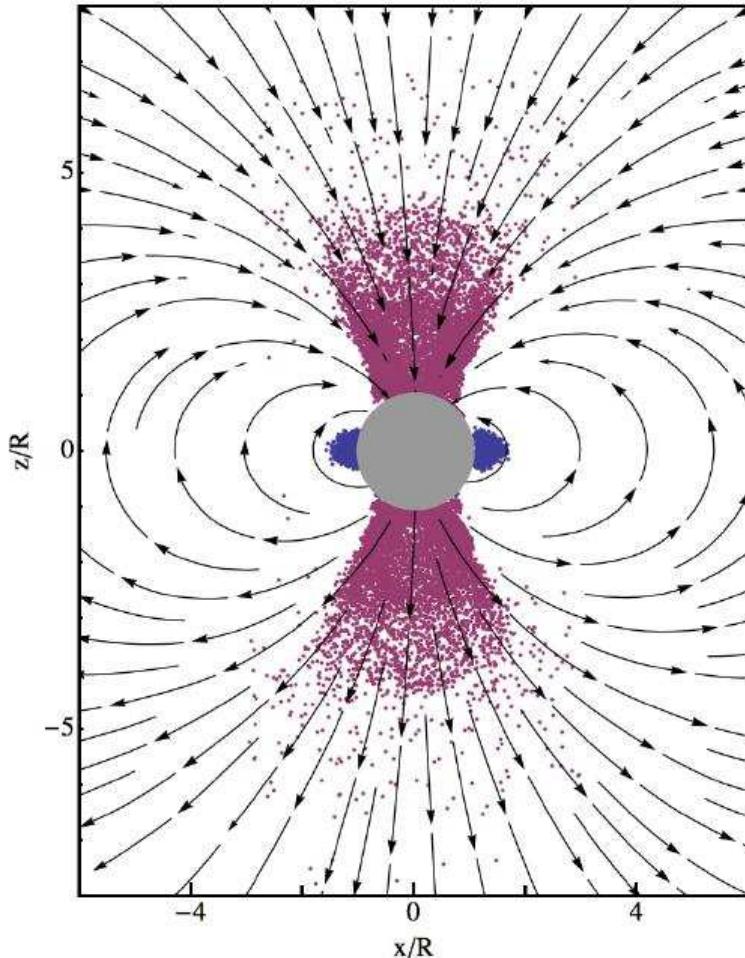
- Pulse regularity: continuous emission.
- Search for a stationary solution in the  $\Omega_*$  rotating frame.
- Then, in the rotating frame,  $\vec{E}_{RF}$  derives from a potential.
- Simplest assumption:  $E_{RF} = 0$ .  
Then, in observer's frame  
 $\vec{E}_{GJ} = (\vec{r} \times \vec{\Omega}_*) \times \vec{B}(\vec{r})$ .  
[Goldreich-Julian 1969]
- They are associated to the Goldreich-Julian charge and current densities  
 $\rho_{GJ} = \epsilon_0 \nabla \cdot \vec{E}_{GJ}$  and  $J_{GJ} = c \rho_{GJ}$ .
- Le plasma n'est pas neutre !

# Plasma in corotation



- Nevertheless,  $E_{RF} = 0$  is only a simplifying assumption.
- What happen when  $\vec{r} \times \vec{\Omega}_* \sim c$ ? This defines the light cylinder radius  $R_{LC} = c/\Omega_*$ .
- This assumption provides no way of computing the real shape of the electromagnetic field.
- Region of closed field lines not farther than  $R_{LC}$ : no problem with co-rotation.
- Polar caps. Open field lines. Cannot co-rotate all along the field lines.
- Implies a parallel electric field  $\neq E_{GJ}$  above the polar caps.

# A self-consistent model : Electrosphere

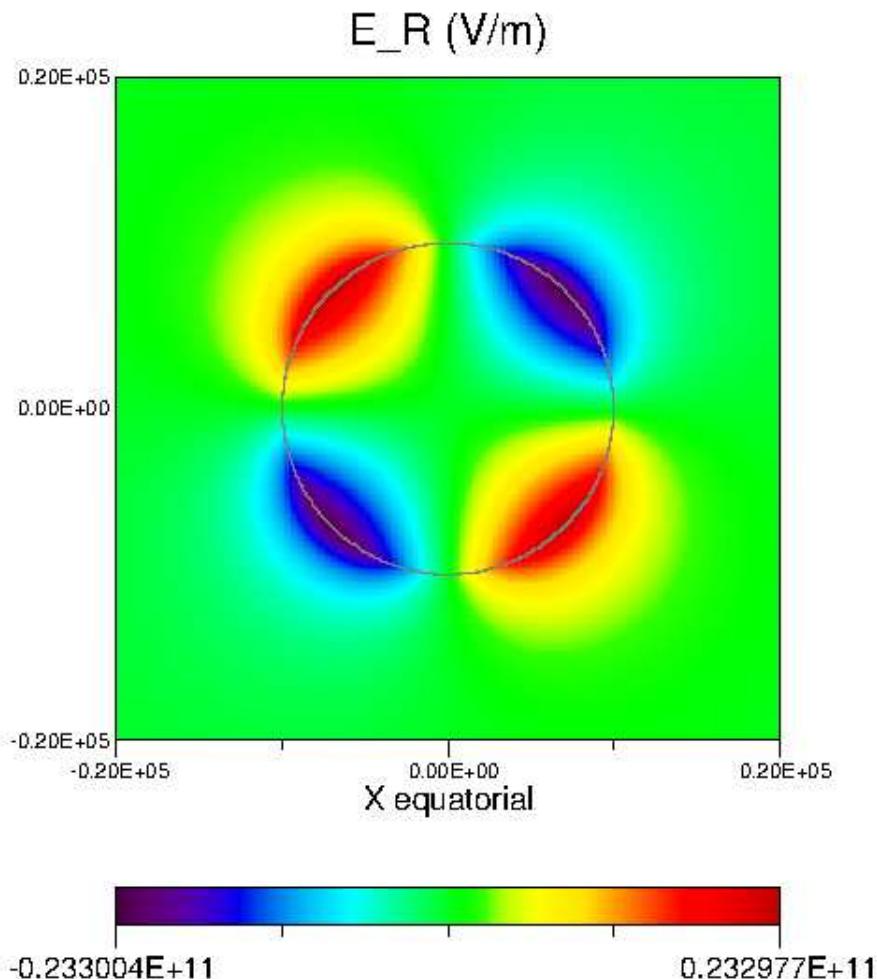


Distribution of electric charge density in an electrosphere. PIC simulation.

[Spitkovsky]

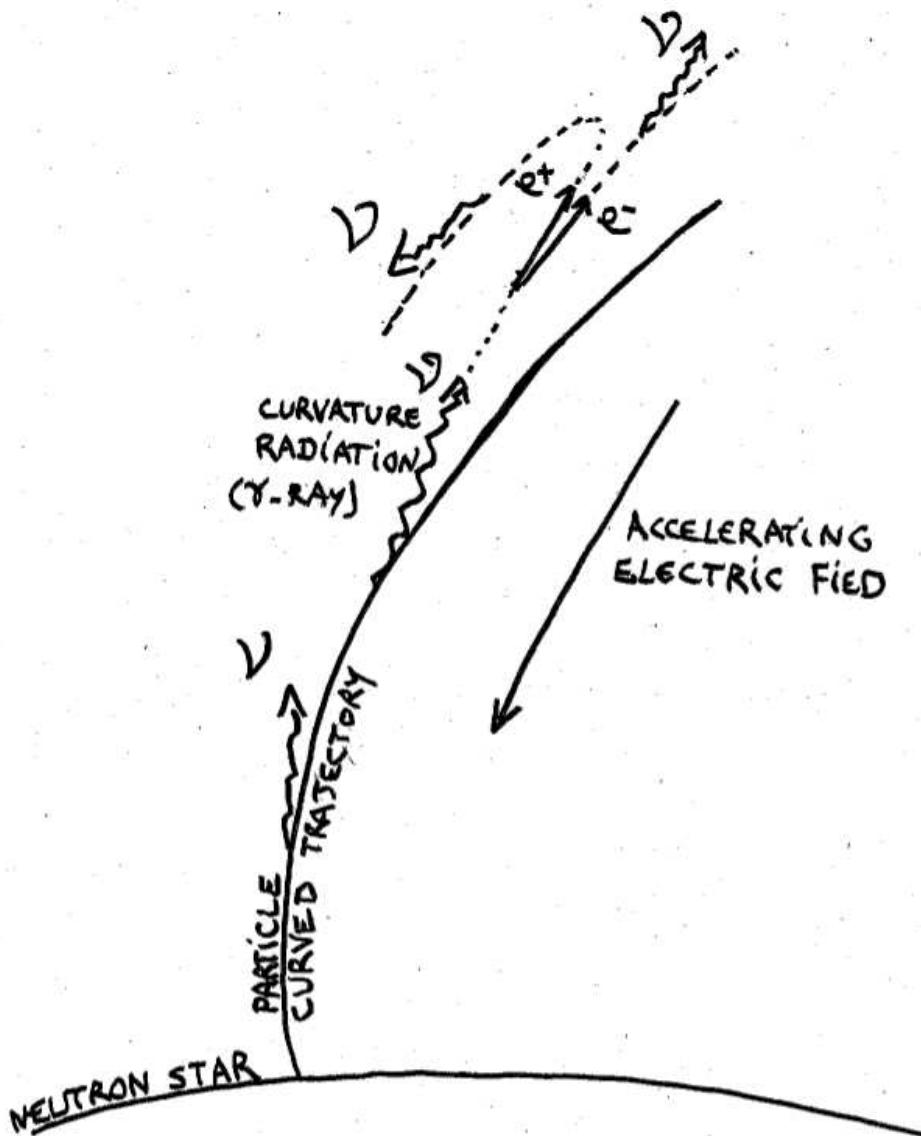
- Hypothesis: negligible electric currents.
- Hypothesis: the plasma comes only from the NS surface.
- Result: Low flux of radiation.
- Result: No wind, the plasma is confined near the star.
- Result: A model for dead pulsars ?
- Result: The magnetosphere is electrically charged.

# Plasma production above the NS in the polar caps



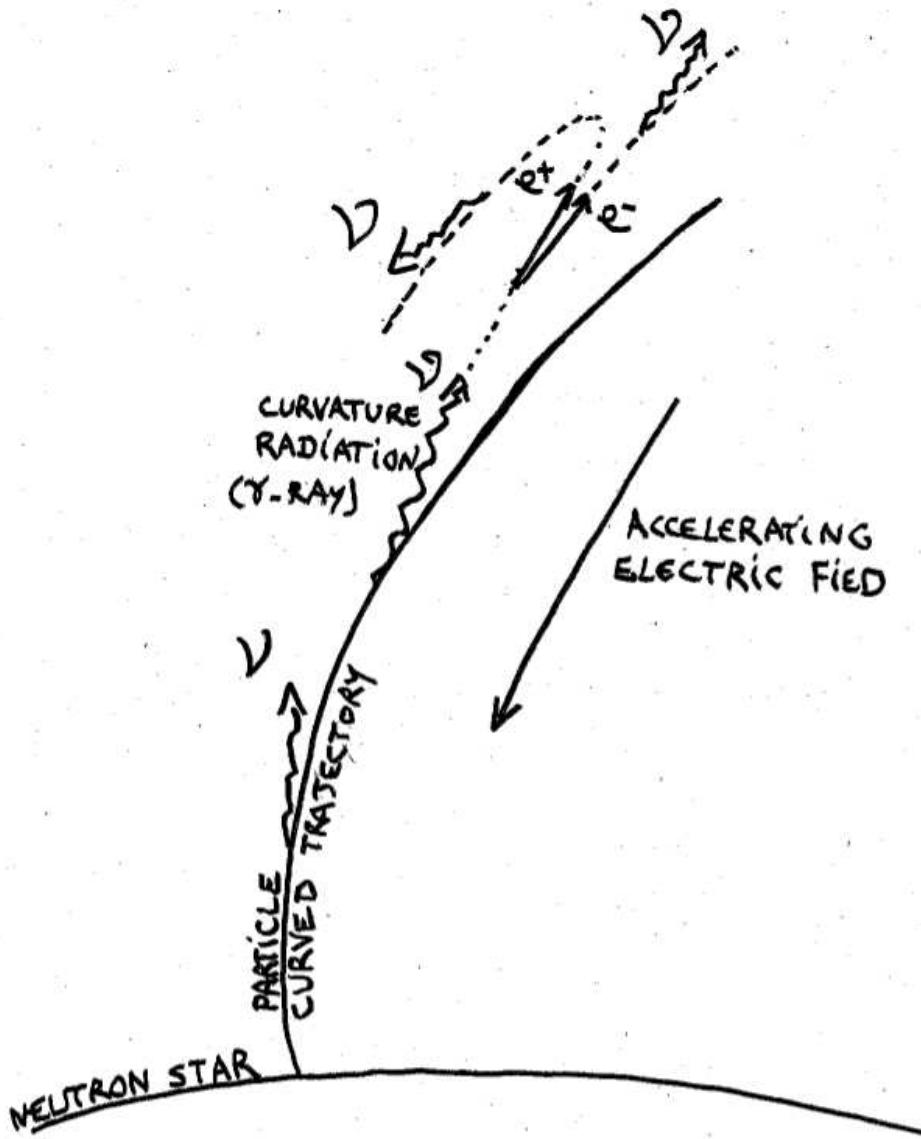
- Plasma violently accelerated above polar cap + curved trajectories (along  $\vec{B}$ ).
- Produces synchrotron and curvature gamma rays.
- Pair production:  
 $\nu_\gamma + B \rightarrow e^- + e^+$  and  
 $\nu_\gamma + \nu \rightarrow e^- + e^+$ .
- Production avalanche. [Sturrock 71]

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# Pair production: how efficient ?

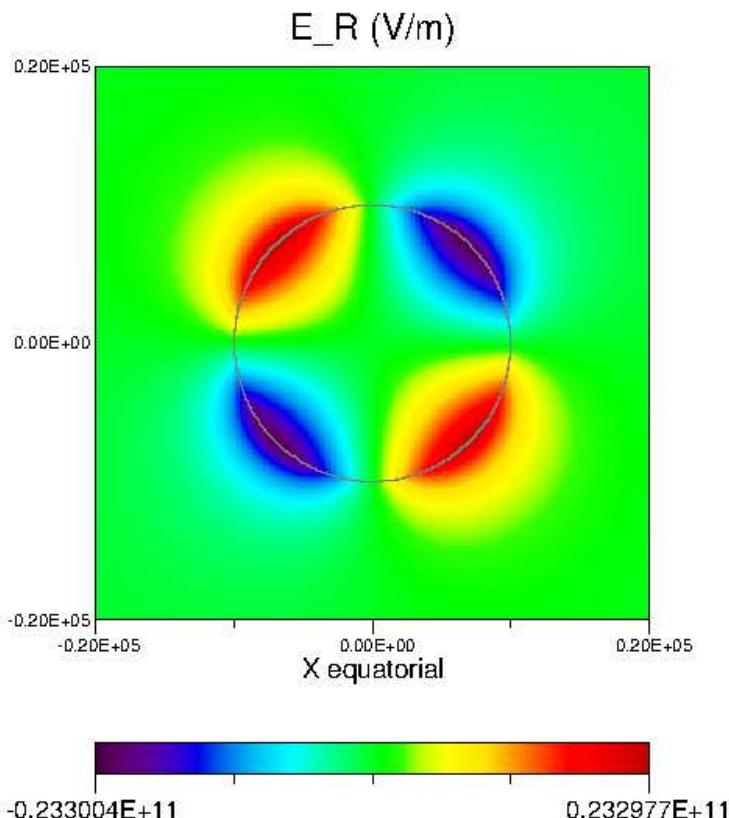


- Low density plasma = gap → accelerating electric field +  $e^-$ ,  $e^+$  pairs production.
- Produced plasma → screening of electric field. Reduction of acceleration and pair production.
- Sharp limit. Pair creation front.
- Optimistic prospect:  
 $n_e = 1000 \times n_{primary}$ . OK/observations.
- Pessimistic prospect:  
 $n_e = 1 - 10 \times n_{primary}$ . Not enough.
- Time variability ? Many regimes ? Instabilities ? [Tikonchuk 08]

# Pair production: two opposite approximations

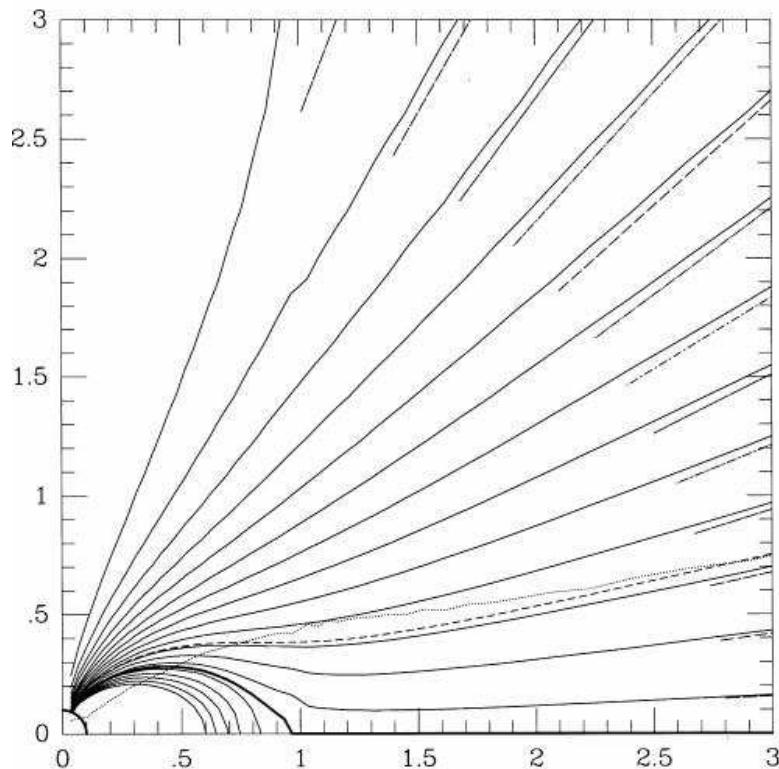
- Inefficient pair production simplified into: no pair creation.  
Solution: strong electric fields, *electrosphere*.
- Efficient pair creation simplified into: as much plasma as necessary to screen any parallel electric field.  
Solution: *force-free magnetosphere*.

# Force-free magnetosphere: hypothesis



- $\Phi$  potential drop above the surface generates dense plasma taken from the NS surface.
- There is enough plasma (very mobile along  $\vec{B}$ ) to short-circuit the parallel electric field (in RF),  
$$\vec{E}_{RF} \cdot \vec{B}(\vec{r}) = 0.$$

# Force-free magnetosphere: mathematical problem

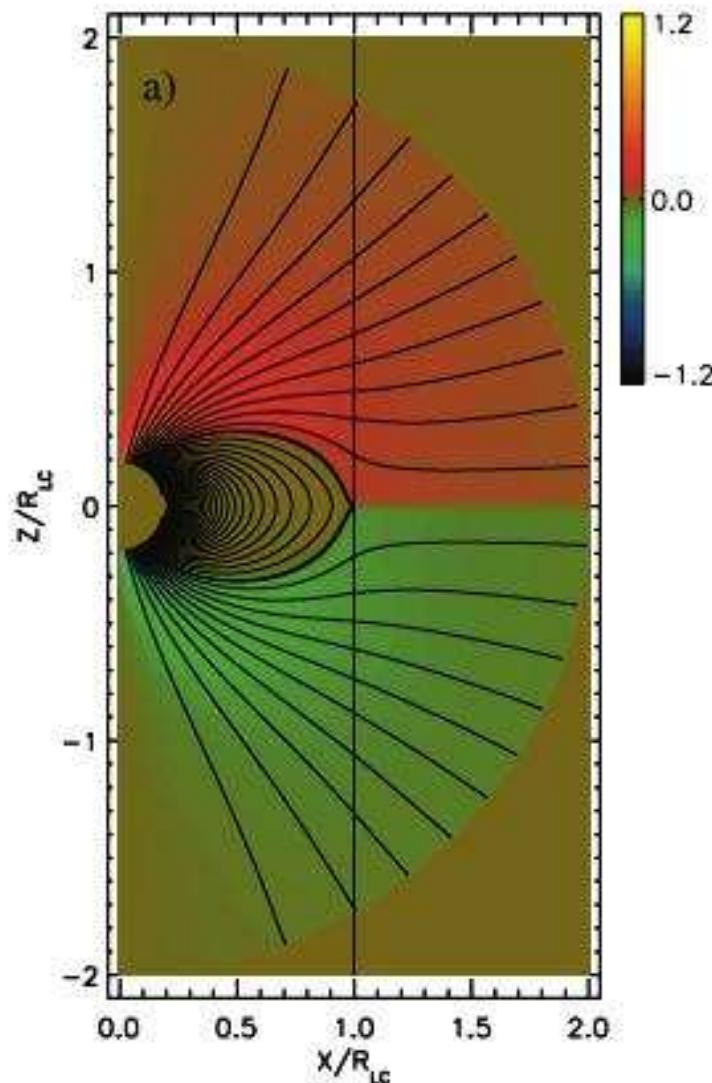


Force-free solution. Magnetic field lines (+ asymptotic analytical solution). The Y separatrix (thick line) is also a current layer.

[Contopoulos et al.]

- Force-free equation for aligned rotator ( $i = 0$ ):  
$$(1 - \frac{s^2}{R_{LC}^2})(\frac{\partial^2 \Psi}{\partial s^2} + \frac{\partial^2 \Psi}{\partial z^2}) - (1 + \frac{s^2}{R_{LC}^2})\frac{1}{s}\frac{\partial \Psi}{\partial s} + I(\psi)\frac{\partial I}{\partial \psi}$$
where  $s$  = cylindrical distance from rotation  $z$  axis,  $\Psi$ : magnetic flux enclosed in circle of radius  $s$ . [Michel 1973, Scharleman, Wagoner 1973]
- Solved only in 1999 ! [Contopoulos et al.]

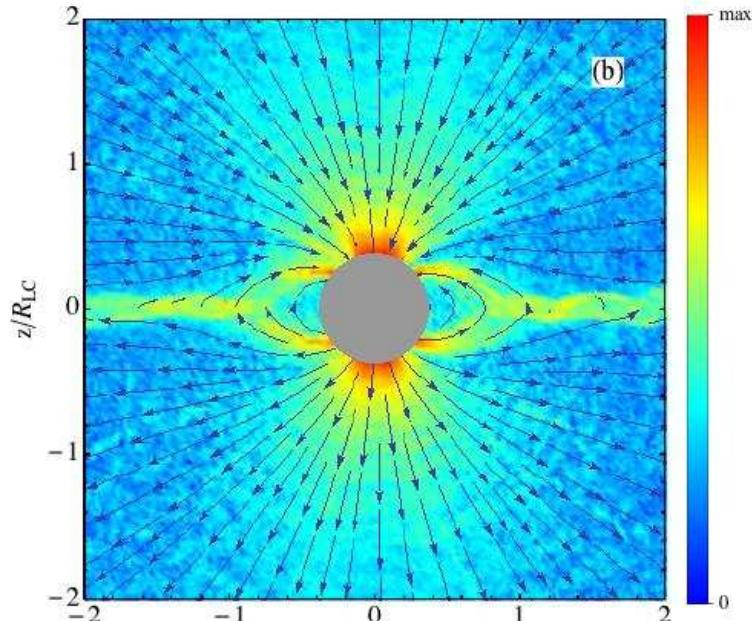
# Force-free magnetosphere: solution for an aligned pulsar ( $i = 0$ )



- At large distances, like a split monopole. (Magnetic field lines almost radial.)
- A Y shaped current layer. Solutions parametrised by  $R_Y / R_{LC} < 1$ .

Magnetic field lines and (color) azimuthal  
 $B_\phi$   
[Spitkovsky 14 (astro-ph)]

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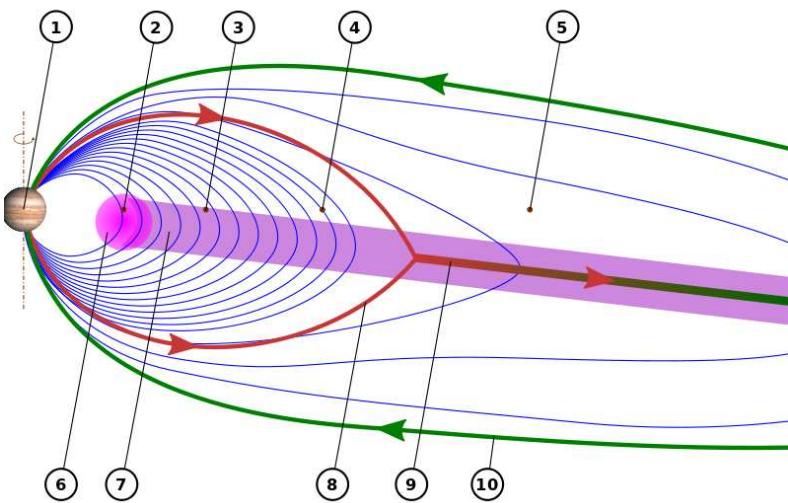


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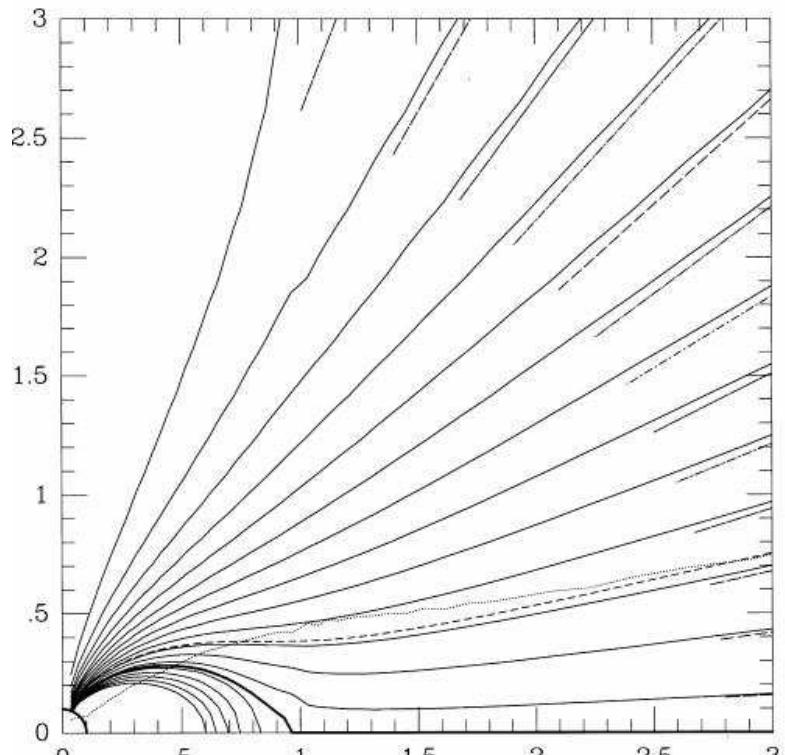
Magnetic field lines and (color) current density  $J$

[Philippov & Spitkovsky 14]

# A quick comparison with Jupiter magnetosphere

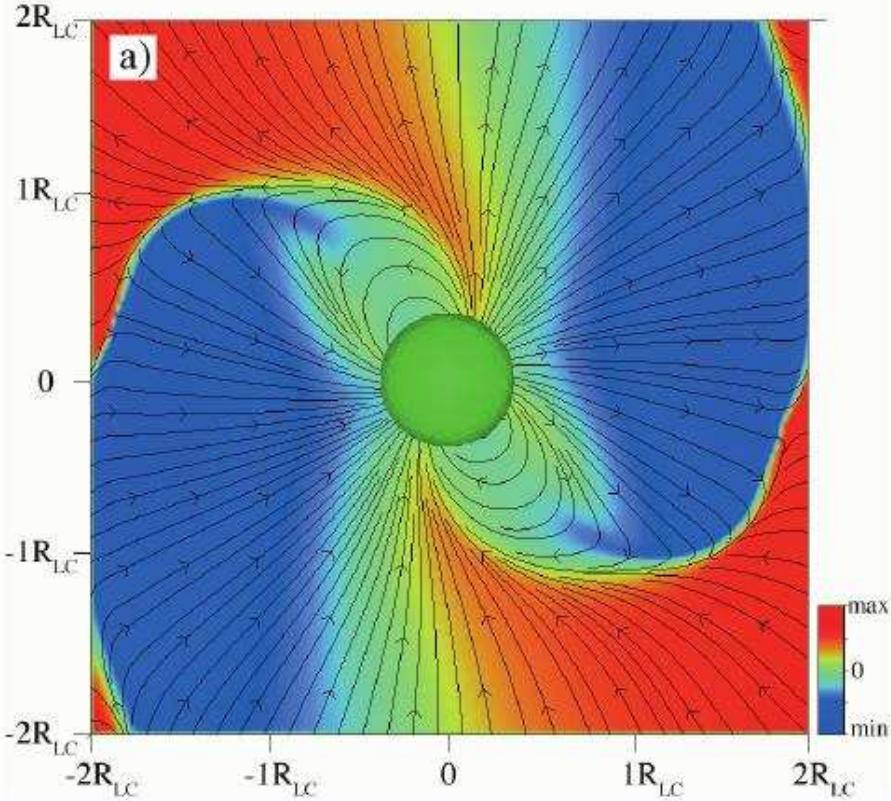


Scheme of the magnetosphere of Jupiter  
[Edward, Bunce, Cowley 01]



Force-free pulsar magnetosphere ( $i = 0$ )  
Contopoulos + 99]

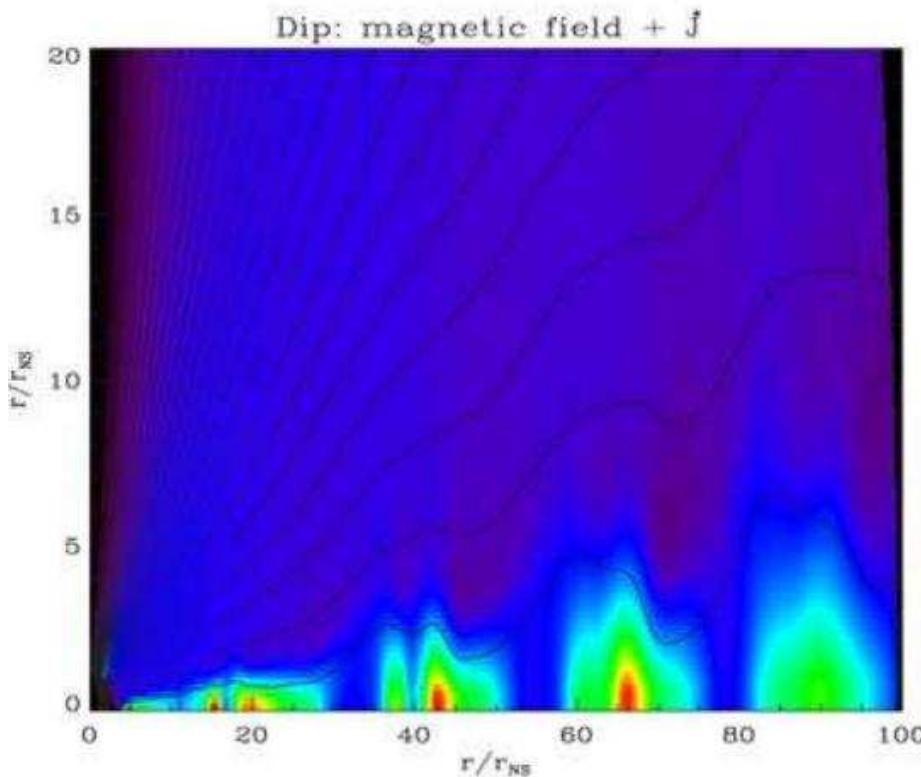
# Oblique force-free magnetosphere ( $i \neq 0$ )



Poloidal field lines  
and (color) azimuthal  $B_\Phi$ .  
[Spitkovski 06 ]

- Time dependent model + numerical resistivity.  
[Spitkovski 06, Bucciantini 06  
Komissarov 06]
- Like the aligned pulsar, but the shape is modulated by the rotation;
- A Y shaped current layer  
 $R_Y / R_{LC} \sim 1$ .
- Loss of rotational energy  
 $\dot{E}_{rot} = \mu^2 \Omega_*^4 c^{-3} (1 + \sin^2 i)$ .
- The charge density above the polar cap is smaller than  $\rho_{GJ}$  (outside the rotation axis).

## Dynamical force-free magnetosphere ( $i = 0$ )

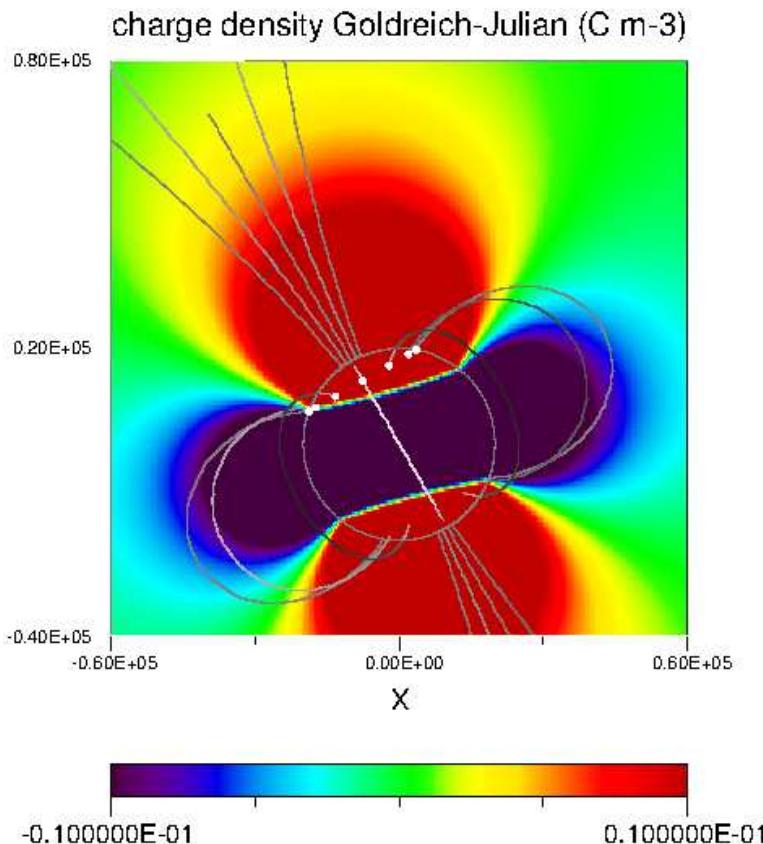


MHD simul. of aligned force-free Msphere. Color: angular momentum density. Blobs of reconnected plasma.

[Bucciantini 06]

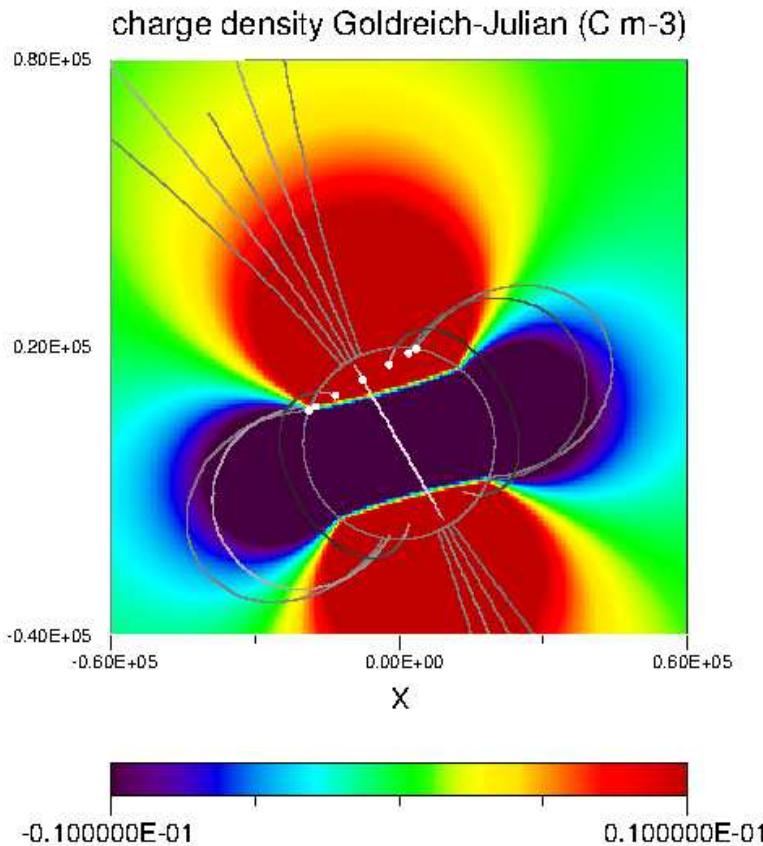
- Reconnection along the current layer beyond the light cylinder.
- Blobs of plasma, X-lines.
- In a relativistic  $e^-$ ,  $e^+$  plasma, efficient source of acceleration, power law  $-2$ . [Spitkovsky APJL 14]
- (!) All these studies based on numerical simulations of resistive/viscous plasma : favors reconnection / real energetic plasmas. (Like simulating a turbulence in a river with a flow of honey.)

# Solar system vs PSR



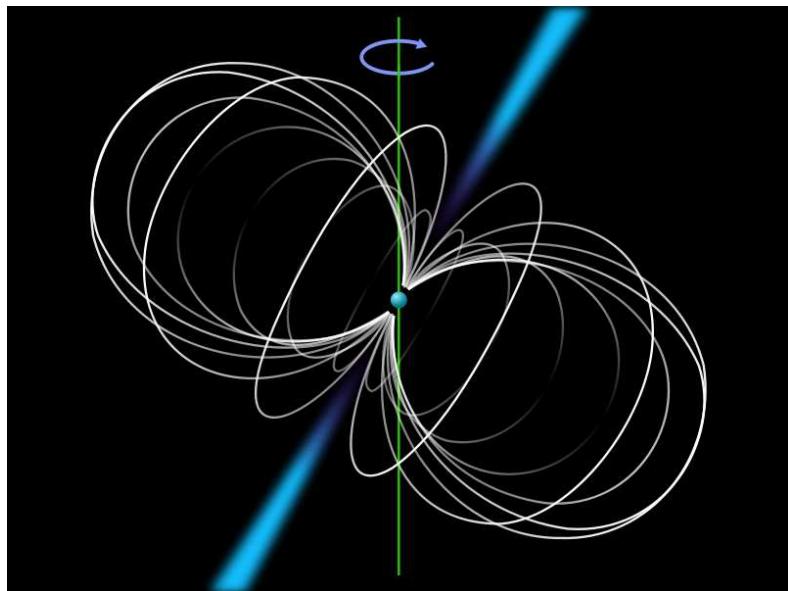
- In Solar system,  $\rho_{GJ}$  negligible ( $x.10^{-y}$  cm<sup>-3</sup> for Jupiter)
- In Earth AAR, no synchrotron,  $\mu \neq 0 \implies$  Knight effect.
- In PSR,  $\mu = 0 \implies$  no mirror force, and no Knight effect.
- In AZ, forced current. In PSR, forced electric potential drop.
- If strong double layers (DL) present in both cases, not the same causes, and not the same physical conditions.

# Radio waves: cyclotron maser instability (CMI) ?



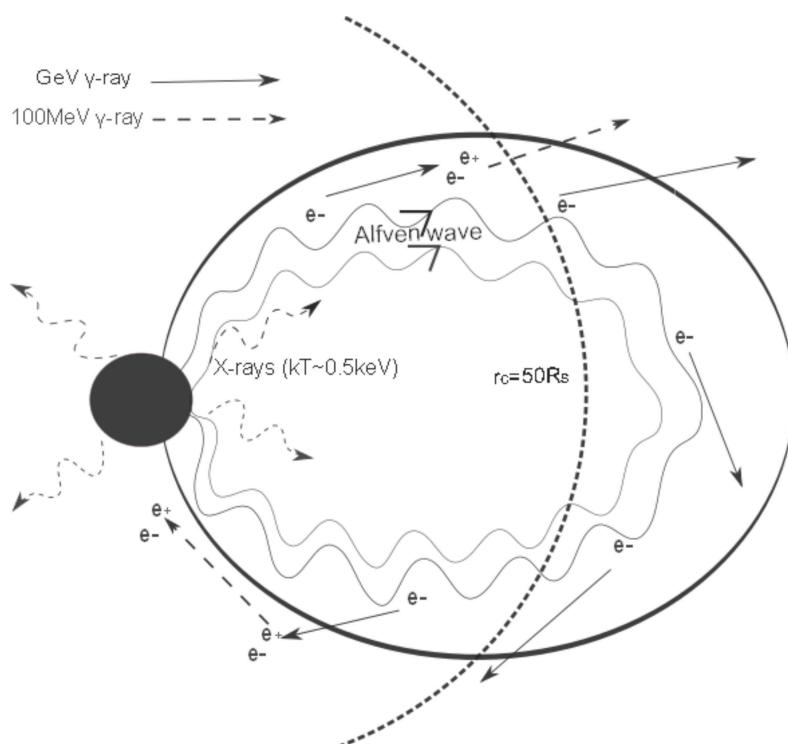
- In AAR, no synchrotron,  $v_{\perp} \neq 0$ .
- Electron distributions (shells, rings, loss cone) unstable to CMI.
- In PSR,  $v_{perp} = 0 \implies$  no such distribution.
- The CMI theory is not directly applicable to radio emissions from pulsars.

# Acceleration by ALfvén waves (AW) ?



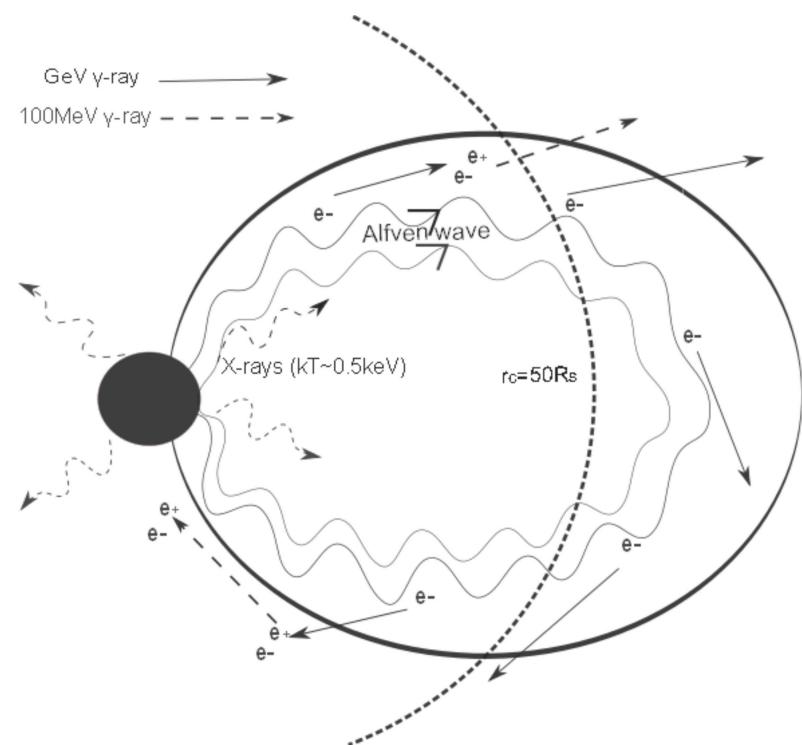
- As for the Earth, on the surface,  $\vec{B}$  is static.
- No source of AW from the ground.
- On Earth, AW come from perturbations of the tail and magnetopause, because of the flux of energy from the solar wind.
- In an isolated pulsar, no strong external disturbance.
- Acceleration by AW not investigated, and not expected on isolated pulsars.

# Acceleration by Alfvén waves (AW) on magnetars



- X and  $\gamma$  ray flares form very magnetized young PSR called magnetars.
- As for other neutron stars, the surface is a solid crust.
- Star-quakes on magnetars.
- Magnetic field frozen onto the crust.
- A star-quake is a source of AW with huge energy.
- Acceleration by these AW
- Synchrotron and curvature radiation : star-quakes trigger X and  $\gamma$  ray flares.

# Conclusion



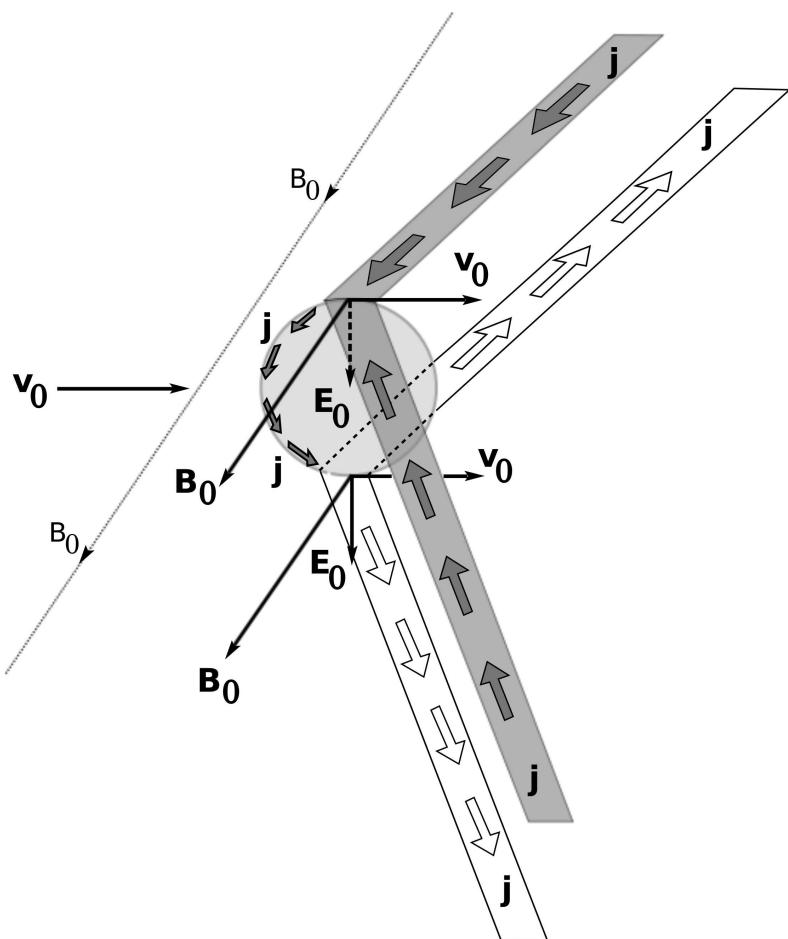
A very different micro-physics

- Highly relativistic particles;
- High energy radiation (synchrotron, curvature radiation);
- Plasma creation ( $e^- e^+$  pairs).
- Magnetic moment  $\mu = 0$ .

Macro-physics

- With rotationally powered pulsars (standard case), energy input is neutron star rotation *only*.
- Double layers, but with other principles (no mirror force, pair creation front);
- Radio emission, but no CMI (because no perpendicular velocity distribution);
- More analogy expected with AW acceleration during star-quakes.

# Et les planètes de pulsars ?



- On connaît 5 systèmes planétaires
- On suspecte 2 systèmes d'astéroïdes
- On se sait pas si le vent du pulsar est super ou sous-Alfvénique.
- Donc soit une Msphère derrière un choc.
- Soit le vent atteint la planète.  
inducteur unipolaire + Aile d'Alfvén,  
comme Io et Ganymède dans le  
plasma de Jupiter.
- Clin d'oeil : Fast Radio Burst : une  
impulsion radio isolée, dispersion →  
distance  $\sim 500$  Mpc.
- P. Zarka et moi pensons qu'un FRB  
peut provenir d'une planète de pulsar.
- Se serait alors le signal planétaire  
d'origine la plus lointaine (distance  
cosmologique !)